

# Complement Anaphora and Negative Polarity Items

Manfred Sailer

Seminar für Englische Philologie

Universität Göttingen

`manfred.sailer@phil.uni-goettingen.de`

# Introduction

## Complement Anaphora and Negative Polarity Items?

# Introduction

- Complement anaphora (CA):  
Few congressmen admire Kennedy.  
They think he's incompetent.  
*they* = the congressmen that don't admire Kennedy
- Negative polarity items (NPI):  
Few congressmen have ever admired K.

# Introduction

- Complement anaphora (CA):  
Few congressmen admire Kennedy.  
They think he's incompetent.  
*they* = the congressmen that don't admire Kennedy
- Negative polarity items (NPI):  
Few congressmen have ever admired K.
- few congressmen is downward-entailing (DE).  
DE contexts are needed for both CA and NPI!

# Introduction

- Complement anaphora (CA):  
**Few congressmen** admire Kennedy.  
**They** think he's incompetent.  
*they* = the congressmen that don't admire Kennedy
- Negative polarity items (NPI):  
**Few congressmen** have **ever** admired K.
- **few congressmen** is downward-entailing (DE).  
DE contexts are needed for both CA and NPI!
- More refined generalization and an argument for lexical decomposition of DE expressions.

# Overview

- Introduction
- Data
- Previous Approaches
- Analysis
- Conclusion

# Data on Complement Anaphora

# Possible continuations

## Few congressmen admire Kennedy

- , and they are very junior.  
they = the congressmen that admire K. (Refset)
- **They** think he's incompetent.  
they = the congressmen that don't admire K.  
(Compset)
- , but they all like his wife.  
they = the congressmen (Maxset)



# Occurrence restrictions on CA (Nouwen 2003)

- always plural
- antecedent is a downward-entailing proportional quantifier

# Occurrence restrictions on CA (Nouwen 2003)

downward-entailing:

- none of the students; few of my students
- if  $X \subseteq Y$  and **NP**( $Y$ ), then **NP**( $X$ ).
- **None of the students** like vegetables.  
⇒ **None of the students** like broccoli.
- non-monotone: three students  
upward entailing: some students, every student
- Some congressmen attended the meeting.  
They were too busy (# CA)
- **Few congressmen** attended the meeting.  
**They** were too busy (CA)

# Occurrence restrictions on CA (Nouwen 2003)

proportional:

- few of the ten students, most of the students, at most 10% of the students
- **Det(A)** is proportional iff **Det(A)(B)** depends on the size of the set A. iff the set A is presupposed.
- cardinal:  $D(A)(B)$  only depends on the size of  $A \cap B$  less than 4
- Less than 30 MPs attended the meeting. They were too busy. (#CA)
- **Less than 30% of the MPs** attended the meeting. **They** were too busy. (CA)

# Data: Negative Polarity Items

# NPIs in DE contexts (Ladusaw 1980, ...)

German: *jemals* (ever)

- **Niemand** hat **jemals** etwas von Zafón gelesen.  
Nobody has ever something by Zafón read  
'Nobody has ever read anything by Zafón.'
- **Wenige Buchhändler** haben **jemals** von Zafón gehört.  
Few booksellers have ever of Zafón heard.

# Weak and strong NPIs (Zwarts 1997)

*auch nur irgendetwas (anything at all)*

- **Niemand** hat **auch nur irgendetwas** von Zafón gelesen.  
Nobody has anything at all by Zafón read  
'Nobody has read anything at all by Zafón.'
- \* **Wenige Buchhändler** haben **auch nur irgendetwas** von  
Few booksellers have anything at all of  
Zafón gehört.  
Zafón heard.

# Weak and strong NPIs (Zwarts 1997)

Strong NPIs require an anti-additive context:

- $f$  is anti-additive iff  $f(A \cup B) \leftrightarrow f(A) \cap f(B)$
- No one danced or sang  $\leftrightarrow$   
No one danced and no one sang.
- Few students danced or sang  $\not\leftrightarrow$   
Few students danced and few students sang.

# Weak and strong NPIs (Zwarts 1997)

## *sonderlich (particularly)*

- **Niemand** fand das Buch **sonderlich** spannend  
Nobody found the book particularly exciting
- \* **Wenige Leser** fanden das Buch **sonderlich** spannend.  
Few readers found the book particularly exciting



# Weak and strong NPIs (Zwarts 1997)

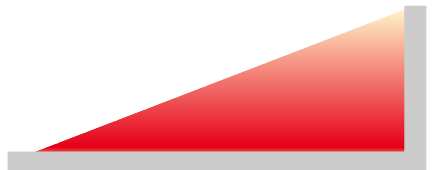
*einen Mucks machen (to make a noise)*

- **Niemand** traute sich, **einen Mucks zu machen**  
nobody      dared      to make a noise
- \* **Wenige** trauten sich, **einen Mucks zu machen**  
Few people dared      to make a noise

# Strong NPIs in non-anti-additive contexts

Krifka 1995:

- **Hardly ANYONE** lifted a finger to help me.
- “we perhaps even do not want to rule out combinations like *fewer than three girls did anything at all* by fundamental principles”.



# Strong NPIs in non-anti-additive contexts

van der Wouden 1995:  
strong NPIs in NegRaising contexts:

● \* **Weinig mensen** hebben **ook maar iets** gezien.  
Few people have anything at all seen

● **Weinig mensen** herinneren zich [**ook maar iets** gezien  
few people remember anything at all seen  
te hebben]  
to have

‘Few people remember having seen anything  
at all.’

# Strong NPIs and proportional DE quantifiers

Proportional DE increase the grammaticality of a strong NPI:

- \* Höchstens 3 Schüler fanden das Buch **sonderlich**  
At most 3 pupils found this book particularly  
spannend.  
exciting.
- **Nicht mehr als 10% der Schüler** fanden das Buch  
No more than 10% of the pupils found this book  
**sonderlich** spannend.  
particularly exciting.

# Strong NPIs and proportional DE quantifiers

Proportional DE increase the grammaticality of a strong NPI:

- \* Nicht mehr als 3 Schüler haben im Matheunterricht  
No more than 3 pupils have during math classes  
einen Mucks gemacht  
a noise made
- Nicht mehr als 3 meiner 30 Schüler haben im  
No more than 3 of my 30 pupils have during  
Matheunterricht einen Mucks gemacht.  
math classes a noise made

# Strong NPIs and proportional DE quantifiers

Proportional DE increase the grammaticality of a strong NPI:

- \* Nicht mehr als 3 Schüler haben  
No more than 3 pupils have  
**auch nur irgendetwas** gelernt.  
anything at all learnt.
- **Nicht mehr als 10% der Schüler** haben  
No more than 10% of the pupils have  
**auch nur irgendetwas** gelernt.  
anything at all learnt.

# Strong NPIs and proportional DE quantifiers

- Complement anaphora are licensed by monotone decreasing proportional quantifiers.
- Strong NPIs are licensed by anti-additive operators and by monotone decreasing proportional quantifiers.
- There is a relation between NPI licensing and CA licensing: If a quantified NP can establish an antecedent for a CA, it can also license a strong NPI.

# Compatibility with Previous Approaches



# Theories of NPI licensing

## Entailment-based theories:

- Zwarts 1997
- the scope of proportional DE quantifiers is not necessarily anti-additive:  
Few of my 10 students danced or sang  
 $\not\leftrightarrow$   
Few of my 10 students danced and few of my 10 students sang.
- ignore CA
- why does the proportional/cardinal distinction matter?

# Theories of NPI licensing

## Krifka 1995:

- Strong NPIs are licensed in emphatic contexts, i.e. the licenser must be extreme with respect to the alternatives.
- Nicht mehr als 10% meiner Studenten fanden den Artikel  
No more than 10% of my students found the paper  
*sonderlich* spannend.  
particularly exciting.
- *no more than 10%* should be extreme in the context.
- Why does the proportional/cardinal distinction matter?
- Is *sonderlich* really emphatic?

# Theories of NPI licensing

Linebarger 1980/87:

- Analyzes NPI licensing by *few* in terms of a *negative implicatum* (NI):  
**Few students** did **any** homework.  
NI: Many students didn't do **any** homework.
- difference strong/weak NPI: strong NPIs only direct licensing.

# Theories of CA

Sanford et al. 2001:

- DE is necessary for CA
- The more “negative” the antecedent, the more likely we get a CA interpretation of a pronoun. (*no more than* vs. *at most*)
- But: ignore proportional vs. cardinal quantifiers  
don't mention NPIs.

# Theories of CA

Kibble 1998:

- analyzes CAs as e-type pronouns
- DE quantifiers introduce both a refset and a compset, either of which can be the antecedent.
- No account of the proportional/cardinal distinction.
- Semantics of the clause is the same independent of the continuation.

# Theories of CA

But: a strong NPI prohibits a refset continuation:

- Nicht viele meiner Schüler fanden das Buch **sonderlich**  
not many of my pupils found the book particularly  
spannend.  
exciting
- Sie fanden es sogar extrem langweilig. (CA)  
They found it even extremely boring.
- \* Sie wollten sogar gleich die Fortsetzung lesen.  
They wanted even at once the continuation read  
(Refset)

# Theories of CA

Nouwen 2003:

- rejects an e-type pronoun approach to CAs.
- ranked constraints to determine whether a reference or a complement set can be inferred and used as antecedent to a pronoun.
- with proportional DE quantifiers: The compset can be interfered as discourse referent.
- no link to NPIs.

# Analysis: Lexical Decomposition and Equivalence of Representations



# Sketch of the analysis

- Lexical decomposition of the quantifiers
- The existence presupposition of the restrictor set triggered by proportional quantifier allows for two different logical forms.
- No more than 10% of my students attended the meeting.  
→ At least 90% of my students did not attend the meeting.
- regular context for a strong NPI!  
“refset” anaphor corresponds to a compset anaphor of the original sentence!

# Lexical decomposition of DE quantifiers

- DE quantifiers can be decomposed into negation + upward-entailing quantifier.
- *no*: **no**  $x(\phi)(\psi) = \neg$ **some**  $x(\phi)(\psi)$
- *few*: **few**  $x(\phi)(\psi) = \neg$ **many**  $x(\phi)(\psi)$   
(proportional meaning: **many-p**: a large percentage of the elements in  $\phi$  is in  $\psi$ )  
(cardinal meaning: **many-c**: a large number of elements is in  $\phi$  and in  $\psi$  at the same time.)

# Presupposition of the restrictor set

A proportional quantifier presupposes the restrictor set:

**many-p**  $x(\phi)(\psi)$

= **many-p**  $x$ 

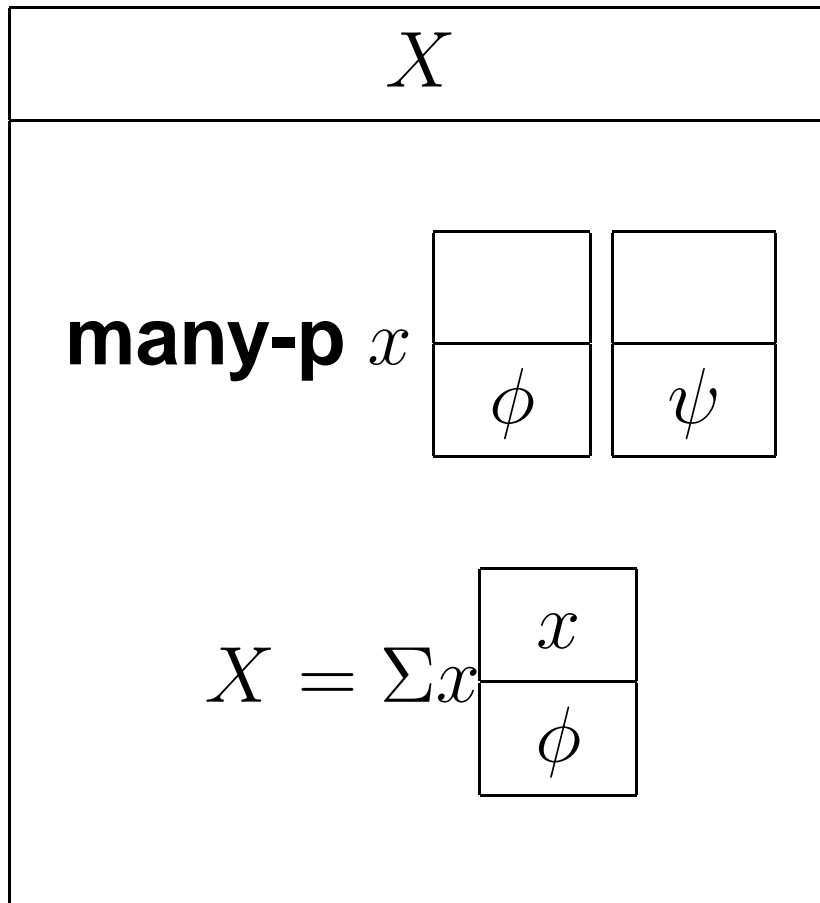
$\phi$	$\psi$



# Presupposition of the restrictor set

A proportional quantifier presupposes the restrictor set:

**many-p**  $x(\phi)(\psi)$



# Equivalences for proportional quantifiers

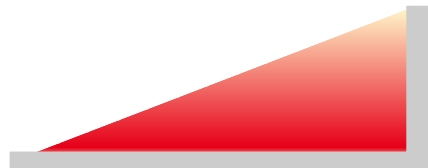
For each proportional quantifier  $Q$ :  $\neg Qx(\phi)(\psi)$  is equivalent to  $Q'x(\phi)(\neg\psi)$  for some quantifier  $Q'$ .

- No more than 10% of my students attended the class.  
 $\leftrightarrow$  At least 90% of my students did not attend the class.
- Few of my students attended the class.  
 $\leftrightarrow$  Many of my students did not attend the class.
- *few*:  $\neg$ **many-p**  $x(\phi)(\psi) = \mathbf{many-p} x(\phi)(\neg\psi)$

# Equivalences for proportional quantifiers

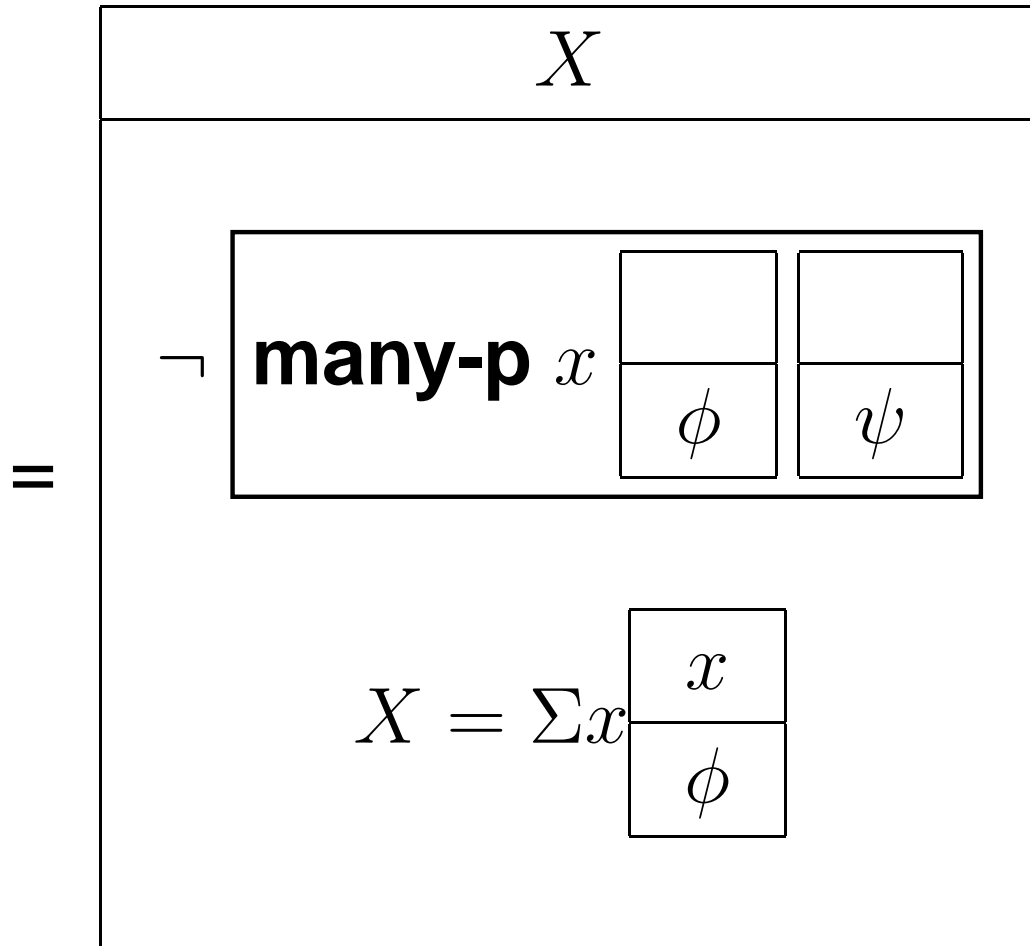
*few*:  $\neg$ **many-p**  $x(\phi)(\psi)$

$$= \neg\text{many-p } x \begin{array}{|c|c|} \hline & \\ \hline \phi & \psi \\ \hline \end{array}$$



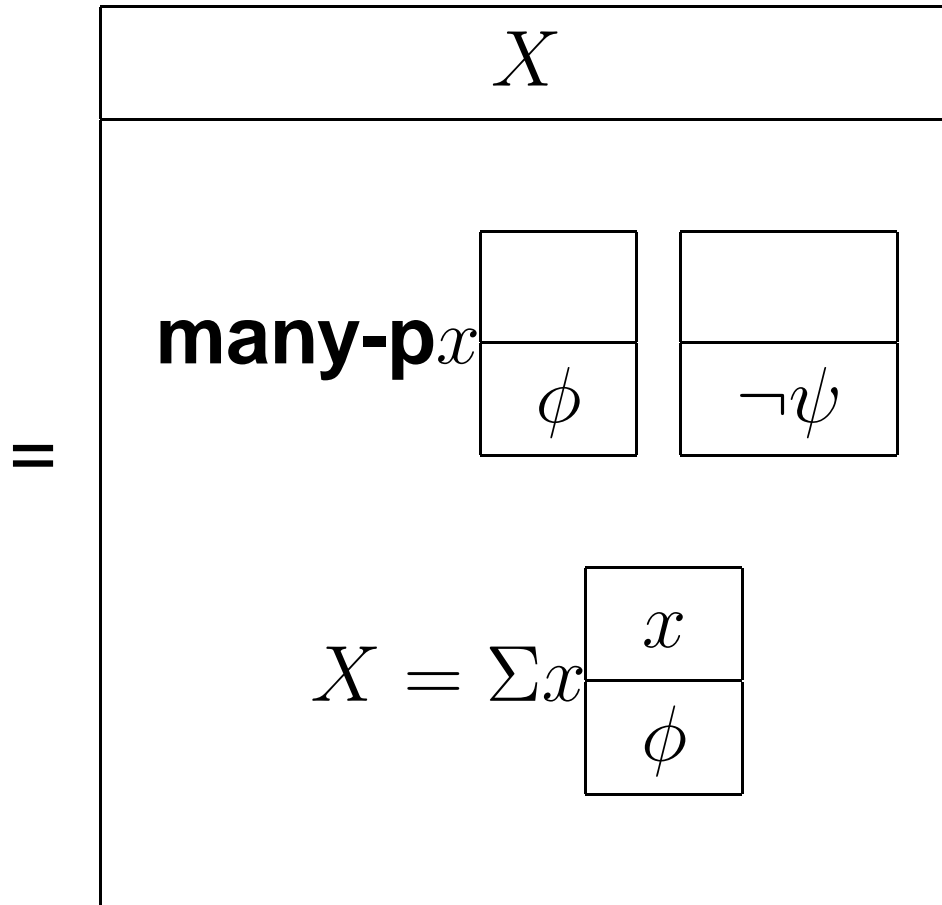
# Equivalences for proportional quantifiers

*few*:  $\neg$ **many-p**  $x(\phi)(\psi)$



# Equivalences for proportional quantifiers

*few*:  $\neg$ **many-p**  $x(\phi)(\psi) =$  **many-p**  $x(\phi)(\neg\psi)$

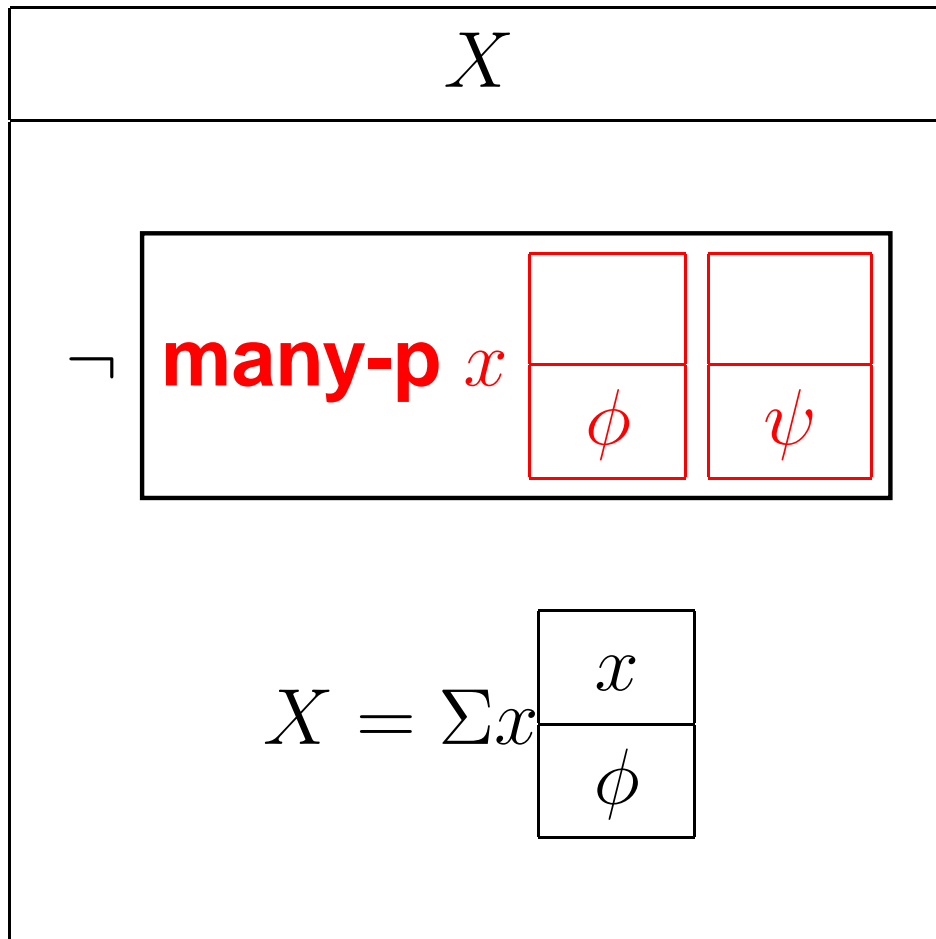




# Possible continuations

Refset: Few congrm. admire K., and they are very junior.

Antecedent representation:  $\neg$ **many-p** $x(\phi)(\psi)$



# Possible continuations

Refset: Few congrm. admire K., and they are very junior.

Pronoun referent:  $X = \Sigma x$

$x$

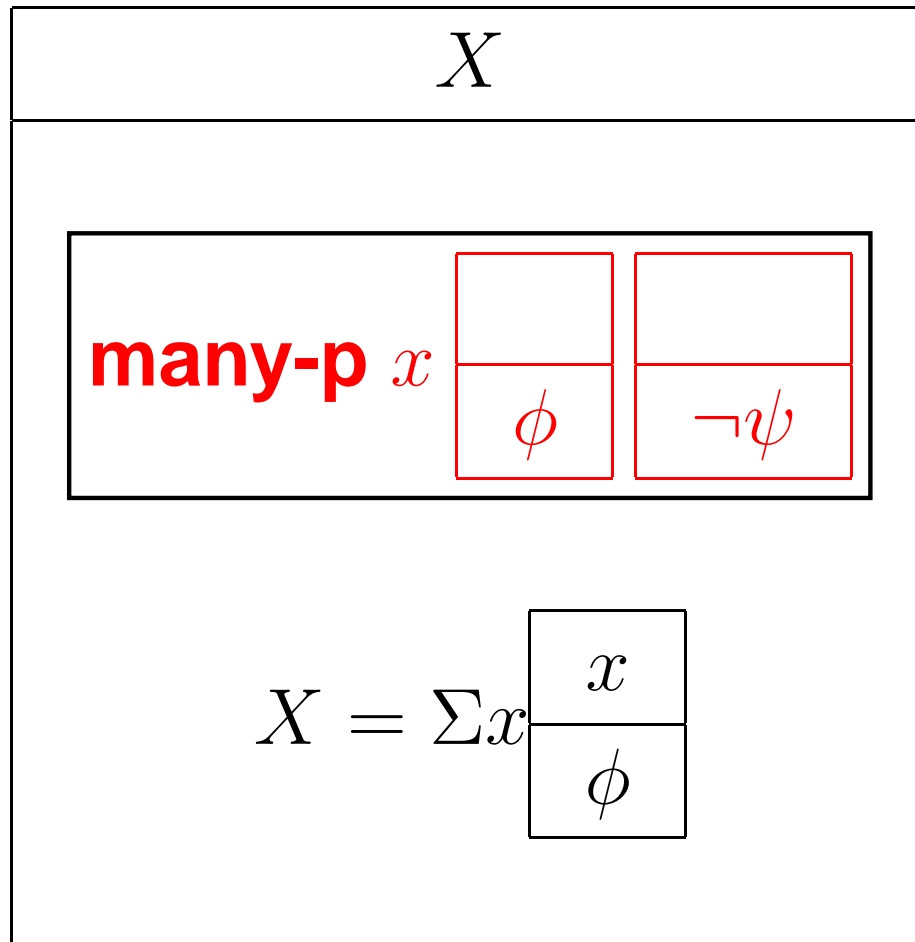
$\phi$

$\psi$

# Possible continuations

Compset: Few congrm. admire K. They think he's incomp.

Antecedent representation: **many-p** $x(\phi)(\neg\psi)$



# Possible continuations

Compset: Few congrm. admire K. They think he's incomp.

Pronoun referent:  $X = \Sigma x$

$x$
$\phi$
$\neg\psi$

# Possible continuations

Maxset: Few congrm. admire K., but they all like his wife.

Antecedent: (in both cases)

$X$		
$\vdots$		
$X = \Sigma x$ <table border="1"><tr><td><math>x</math></td></tr><tr><td><math>\phi</math></td></tr></table>	$x$	$\phi$
$x$		
$\phi$		

Pronoun referent:  $X = \Sigma x$

$x$
$\phi$

# Summary: Complement Anaphora

- CA is only possible with downward-entailing quantifiers, because only these introduce a negation into their logical form.
- CA is only possible with proportional quantifiers, because only these guarantee the equivalence of  $\neg Qx(\phi)(\psi)$  and  $Q'x(\phi)(\neg\psi)$  and, thus, allow for the lower scope of the negation.

# Strong NPIs

- Assumption: strong NPIs are licensed in the immediate scope of negation.
- Given the decomposed and transformed semantic representations, strong NPIs are licensed in contexts in which CAs can occur.

# Strong NPIs

Nicht mehr als 10% der Schüler haben  
not more than 10% of the pupils have  
auch nur irgendetwas gelesen.  
anything at all read

↔ At least 90% of the pupils didn't read anything  
at all.

**at-least-90%** $x(\text{pupil}(x))(\neg\exists y(\text{thing}(y)\wedge\text{read}(x,y)))$



# Strong NPIs

\* Nicht mehr als 10 Schüler haben auch nur irgendetwas  
not more than 10 pupils have anything at all  
gelesen.  
read

$\neg$  **more-than-10** $x$ (**pupil**( $x$ ))( $\exists y$ (**thing**( $y$ )  $\wedge$  **read**( $x, y$ )))

With non-proportional quantifiers the negation cannot be “pushed down”. Therefore, the strong NPI is not in the immediate scope of the negation!

# Conclusion

# Summary

- With lexical decomposition and equivalences of representations:
- Nothing special has to be assumed for CAs.
- Strong NPIs in apparently non-anti-additive contexts can be reduced to the standard case.

# Open Questions

- Data problem: individual judgments are not clear. Data don't occur in present corpora (IDS, internet with google)  
Experimental study is under construction (Potsdam and Tübingen)
- What is the status of the equivalence transformation of sem. representation?  
(different from NI, but what?)

Thank you!